

## Chapter-1

### Rational Numbers

#### Introduction

- ⊙ A number which can be written in the form of  $\frac{p}{q}$ , where  $p$  and  $q$  are integers and  $q \neq 0$  is called rational number.

For Example :  $-\frac{2}{3}, \frac{4}{5}$

- ⊙ Rational numbers are closed under the operations of addition, subtraction and multiplication.
- ⊙ The operation addition and multiplication are :-
  - ◆ Commutative for rational numbers.  
i.e. For any two rational numbers  $a$  and  $b$   
 $a + b = b + a$   
 $a \times b = b \times a$
- ⊙ Rational number 0 is the additive identity for all rational numbers i.e. For any rational number  $a$ ,  $a + 0 = a$
- ⊙ The rational number 1 is the multiplicative identity for all rational numbers  
i.e. For any rational number  $a$ ,  $a \times 1 = a$

⊙ The additive inverse of rational number  $a$  is  $-a$

The multiplicative inverse or reciprocal of a rational number  $\frac{a}{b}$  is  $\frac{b}{a}$

$$\text{i.e. } \frac{a}{b} \times \frac{b}{a} = 1$$

⊙ Distributive Property :-

For any three rational numbers  $a$ ,  $b$  and  $c$

$$a(b+c) = a \times b + a \times c \quad [\text{Distribution of Multiplication over addition}]$$

$$a(b-c) = a \times b - a \times c \quad [\text{Distribution of Multiplication over subtraction}]$$

⊙ Rational numbers can be represented on a number line.

⊙ Between any two given rational numbers there are countless rational numbers.

⊙ For any three rational numbers  $a$ ,  $b$  and  $c$

$$a \times (b \times c) = (a \times b) \times c \quad (\text{Associative property for multiplication})$$

$$a + (b + c) = (a + b) + c \quad (\text{Associative property for addition})$$